HW: Cumulative Review Packet

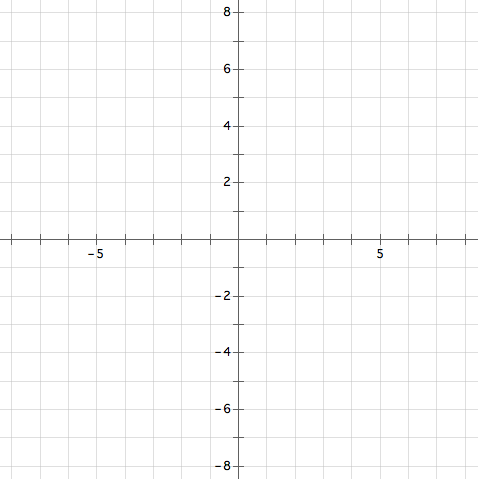
1. Given the polynomial function: 
   1. How many rational zeros does the function have? \_\_\_\_\_\_\_
   2. Use Descartes Rule of Signs to determine how many positive zeros are possible? \_\_\_\_\_\_\_\_\_\_\_\_\_
   3. Use Descartes Rule of Signs to determine how many negative zeros are possible? \_\_\_\_\_\_\_\_\_\_\_\_\_

f(-x) =

* 1. Use the Rational Zeros Theorem to determine the list of all possible real zeros?

\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_

* 1. Is the leading coefficient positive or negative? \_\_\_\_\_\_\_\_\_\_
  2. What is the right-hand behavior of the function? \_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_
  3. What is the left-hand behavior of the function? \_\_\_\_\_\_\_\_\_\_\_\_\_\_\_\_
  4. What is the y-intercept? \_\_\_\_\_\_\_\_\_
  5. Use the list of possible real zeros and synthetic division to factor the function completely. Write the polynomial as a product of its linear factors.



f(x) =

* 1. What are the zeros of the function, each zeros multiplicity,

and will the graph cross the x-axis or not at the zero?

Zero: Multiplicity: Cross: y / n

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h) Sketch a rough graph including end behavior,

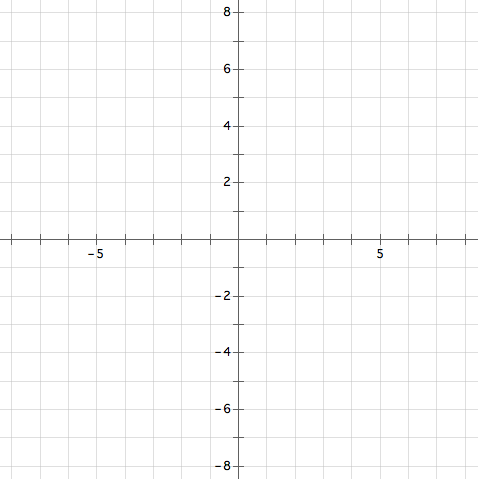
all real zeros, and the y-intercept.

1. Given the function 
   1. Find all the rational zeros of the function. Zeros:\_\_\_\_\_\_\_\_\_\_ , \_\_\_\_\_\_\_\_\_\_ , \_\_\_\_\_\_\_\_\_\_
   2. Write the polynomial as a product of its factors. f(x) = ( )( )
2. Given the function f(x) = x3 – 8x + 8
   1. find all the real zeros: \_\_\_\_\_\_\_\_\_\_\_ , \_\_\_\_\_\_\_\_\_\_\_ , \_\_\_\_\_\_\_\_\_\_\_

Use the quadratic formula if necessary: 

4) f(x) = -2x2 – 8x – 5

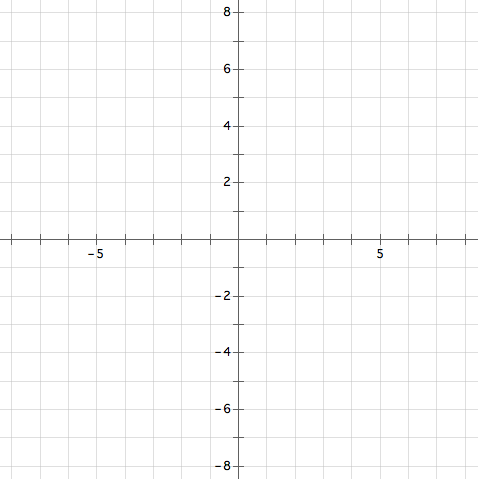
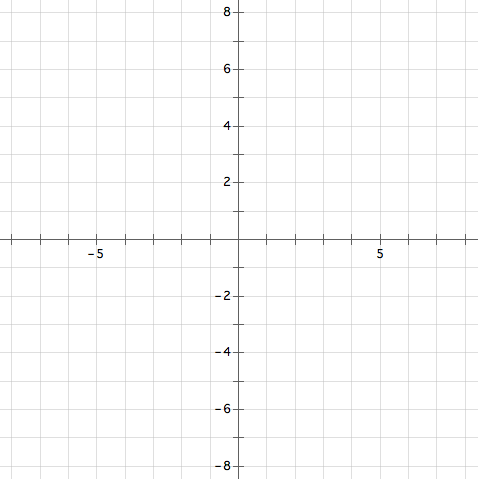
A. Write the function in h – k form (standard form)

B. Sketch a graph of the function.

5. Given the functions f(x) = , g(x) =

A. State the domain and range of f(x) B. Sate the domain and range of g(x)

6. Use the graph of y = f(x) to sketch the graph of y = f(x – 4) + 3



y = f(x – 4) + 3

y = f(x)